$\mathrm{NH} \cdots \mathrm{O}(2.9 \AA)$. Such distortions, resulting from the substitution of a thio-base for the natural base, may be of sufficient magnitude to disrupt certain biological processes.

Mrs Helene Sternglanz kindly prepared crystals of the compound. We thank Miss Catherine Sims and Miss Mary Ann Comer for assistance with the preparation of the drawings and manuscript. This work was supported by NIH fellowship 5F22CA-02784 and by NIH research grants CA-12159, CA-13148 and DE-02670.

## References

Bugg, C. E. \& Thewalt, U. (1970). J. Amer. Chem. Soc. 92, 7441-7445.
Bugg, C. E., Thomas, J. M., Sundaralingam, M. \& Rao, S. T. (1971). Biopolymers, 10, 175-219.

Busing, W. R., Martin, K. O. \& Levy, H. A. (1962). ORFLS. Report ORNL-TM-305. Oak Ridge National Laboratory, Tennessee.
Coppens, P. \& Hamilton, W. C. (1970). Acta Cryst. A26, 71-83.
Cromer, D. T. \& Liberman, D. (1970). J. Chem. Phys. 53, 1891-1898.
Dawson, B. (1960). Acta Cryst. 13, 403-408.

Donohue, J. \& Trueblood, K. N. (1960). J. Mol. Biol. 2, 363-371.
Doyle, P. A. \& Turner, P. S. (1968). Acta Cryst. A24, 390-397.
Iwamoto, R. H., Acton, E. M. \& Goodman, L. (1963). J. Med. Chem. 6, 684-688.
Johnson, C. K. (1965). ORTEP.Report ORNL-3794. Oak Ridge National Laboratory, Tennessee.
LePage, G. A. (1968). Canad. J. Biochem. 46, 655-661.
LePage, G. A., Junga, I. G. \& Bowman, B. (1964). Cancer Res. 24, 835-840.
Shefter, E. \& Trueblood, K. N. (1965). Acta Cryst. 18, 1067-1077.
Stewart, R. F., Davidson, E. R. \& Simpson, W. T. (1965). J. Chem. Phys. 42, 3175-3187.

Sundaralingam, M. (1971). J. Amer. Chem. Soc. 93, 6644-6647.
Thewalt, U. \& Bugg, C. E. (1972). J. Amer. Chem. Soc. 94, 8892-8898.
Thewalt, U., Bugg, C. E. \& Marsh, R. E. (1970). Acta Cryst. B26, 1089-1101.
Thewalt, U., Bugg, C. E. \& Marsh, R. E. (1971). Acta Cryst. B27, 2358-2363.
Wehe, D. J., Busing, W. R. \& Levy, H. A. (1962). ORABS. Report ORNL-TM-229. Oak Ridge National Laboratory, Tennessee.
Wilson, A. J. C. (1942). Nature, Lond. 150, 151-152.
Zachariasen, W. H. (1963). Acta Cryst. 16, 1139-1144.

# Solid-State Phase Transition in Carbon Tetrabromide $\mathbf{C B r}_{\mathbf{4}}$. I. The Crystal Structure of Phase II at Room Temperature 

By M. More, F. Baert and J. Lefebvre<br>Laboratoire de Physique des Solides, Equipe de Dynamique des Cristaux Moléculaires associée au CNRS ( $n^{\circ} 465$ ), Université de Lille I, BP 36, 59650 Villeneuve d'Ascq, France

(Received 15 March 1977; accepted 13 May 1977)
Phase II of $\mathrm{CBr}_{4}$ is monoclinic, space group $C 2 / c$, with $a=21.43, b=12 \cdot 12, c=21.02 \AA, \beta=110.88^{\circ}, Z$ $=32$. The structure was solved by direct methods and refined to $R=7.0 \%$ for 856 counter data. The monoclinic system can be converted into a pseudocubic system which facilitates the description of the structure.

## Introduction

At atmospheric pressure, $\mathrm{CBr}_{4}$ undergoes a transition at $47^{\circ} \mathrm{C}$; phase I is stable between $92^{\circ} \mathrm{C}$ (melting point) and $47^{\circ} \mathrm{C}$, phase II below $47^{\circ} \mathrm{C}$. Finbak \& Hassel (1937) have shown that phase II is monoclinic with $a=21 \cdot 12, b=12 \cdot 26, c=24 \cdot 14 \AA, \beta=125^{\circ} 3^{\prime}$, $Z=32$. These results disagree with those of Mark (1924). Harris (1962) gives $a_{1}=20 \cdot 9, a_{2}=21 \cdot 2, a_{1}=$
$12 \cdot 1 \AA, \beta=110^{\circ} 30^{\prime}$. He suggests that the space group is $C 2 / c$ but did not determine the structure.
Phase I is face-centred cubic with $Z=4$ (Wyckoff, 1964), and is characterized by molecular reorientations ('plastic' crystal). It is interesting to consider why and how the transition occurs.

In this paper, the structure of phase II at room temperature is reported. An attempt to prove the pseudocubic structure is given |the structure of the
plastic phase I will be reported elsewhere (More \& Lefebvre, 1977)].

## Experimental

## Sample preparation

The compound (Koch Light Laboratories) was purified by sublimation in vacuo to remove traces of free Br . Single crystals were found in the sublimate, but most were twinned. Examination with a polarizing microscope allowed us to select untwinned crystals.

The specimen retained for the study (approximately spherical, diameter $150 \mu$ ) was transparent. The crystal was mounted in a glass capillary to prevent sublimation.

## Data collection

Data were collected at room temperature on a Philips PW 1100 automatic four-circle diffractometer. Details are: Mo $K \alpha$ radiation with pyrolytic-graphite monochromator, $\theta-2 \theta$ scan up to $\theta=25^{\circ}$, scan width $=1.2^{\circ}$, scan speed $0.01^{\circ} \mathrm{s}^{-1}, \mathrm{Na}(\mathrm{Tl}) \mathrm{I}$ detector. The background was counted for half the total scan time on each side of the $K \alpha$ position. Three standard reflexions were monitored; no significant change in their intensities was observed. 3304 reflexions were measured, of which only 856 had $I>3 \sigma(I)$.

An absorption correction was applied ( $\mu=270$ $\mathrm{cm}^{-1}, \mu R=2.03$ ) (spherical crystal: International Tables for X-ray Crystallography, 1962). A Wilsonstatistics calculation was used to normalize the structure factors to the content of one unit cell. The final distribution of $E$ 's suggested a centrosymmetric structure.

## Analysis of the data

## Crystallographic data

The lattice constants (Table 1) were calculated by least squares from 25 reflexions. The systematic absences $h k l$ for $h+k \neq 2 n, h 0 l$ for $l \neq 2 n, 0 k 0$ for $k \neq$ $2 n$, with the assumption that the structure is centrosymmetric, lead to the space group $C 2 / c$.

Table 1. Crystallographic data

$$
\begin{aligned}
& \text { Lattice: monoclinic } \\
& a=21.43 \pm 0.04 \dot{\mathrm{~A}} \\
& b=12 \cdot 12 \pm 0.02 \\
& c=21.02 \pm 0.04 \\
& \beta=110.88 \pm 0.3^{\circ}
\end{aligned}
$$

Space group: C2/c
$\mu=270 \mathrm{~cm}^{-1}$
$V=5100 \cdot 3 \AA^{3}$
$Z=32$
$D_{x}=3.42 \mathrm{~g} \mathrm{~cm}^{-3}$

## Structure determination

The structure was solved with MULTAN (Germain, Main \& Woolfson, 1971). From 32 phase sets generated from eight starting reflexions, the set with the best figure of merit was developed into a complete phased set for 300 reflexions with $E>1.6$ and the 2000 strongest $\Sigma_{2}$ relations. An $E$ map based on weighted $E$ 's was calculated and 19 atoms were found. Only one C atom was missing.

## Least-squares refinement

Refinement was by least squares with a modified version of ORFLS (Busing, Martin \& Levy, 1962). The scattering factors were those of International Tables for X-ray Crystallography (1962). Values for the imaginary part of the dispersion correction for Br were introduced. $R\left(=\Sigma\left\|F_{o}\left|-\left|F_{c} \| / \Sigma\right| F_{o}\right|\right)\right.$ was $13 \cdot 6 \%$ with isotropic and $7.0 \%$ with anisotropic temperature coefficients for Br atoms. $\quad R_{W} \quad\left[=\left(\Sigma W| | F_{0} \mid-\right.\right.$ $\left.\left.\mid F_{c} \|^{2 / \Sigma W} F_{o}^{2}\right)^{1 / 2}\right]$ was $7 \cdot 0 \%$.

## Description of the structure

## (i) Positional parameters

The asymmetric unit contains four molecules (Table 2). Each $C$ atom is assumed to lie at the centre of mass of its four Br atoms and to move isotropically.
(ii) Atomic thermal parameters and rigidity of the molecule

The vibrational motions were analysed in terms of the rigid-body tensors $\mathbf{T}, \mathbf{L}$ and $\mathbf{S}$ (Schomaker \&

Table 2. Atomic positional parameters $\left(\times 10^{4}\right)$ as given by least-squares refinement, with standard deviations in parentheses

| $\operatorname{C}(1)$ | $3450(30)$ | $7090(70)$ | $8710(40)$ |
| :--- | :--- | :--- | :--- |
| $\operatorname{Br}(1)$ | $3545(5)$ | $7726(8)$ | $7904(5)$ |
| $\operatorname{Br}(2)$ | $2697(4)$ | $7690(9)$ | $8935(6)$ |
| $\operatorname{Br}(3)$ | $4248(4)$ | $7368(10)$ | $9488(6)$ |
| $\operatorname{Br}(4)$ | $3322(5)$ | $5591(8)$ | $8527(7)$ |
| $\mathrm{C}(2)$ | $6260(30)$ | $1840(70)$ | $6230(40)$ |
| $\operatorname{Br}(5)$ | $7064(4)$ | $1023(8)$ | $6432(5)$ |
| $\operatorname{Br}(6)$ | $6296(4)$ | $2636(6)$ | $7038(4)$ |
| $\operatorname{Br}(7)$ | $5516(3)$ | $892(7)$ | $6002(5)$ |
| $\operatorname{Br}(8)$ | $6167(4)$ | $2821(7)$ | $5458(5)$ |
| $\mathrm{C}(3)$ | $3790(30)$ | $-590(70)$ | $6200(40)$ |
| $\operatorname{Br}(9)$ | $4578(5)$ | $-1497(9)$ | $6389(7)$ |
| $\operatorname{Br}(10)$ | $3906(5)$ | $411(7)$ | $6930(5)$ |
| $\operatorname{Br}(11)$ | $3029(4)$ | $-1581(9)$ | $6035(6)$ |
| $\operatorname{Br}(12)$ | $3656(5)$ | $272(9)$ | $5451(5)$ |
| $\mathrm{C}(4)$ | $5960(30)$ | $4680(70)$ | $8780(40)$ |
| $\operatorname{Br}(13)$ | $6025(4)$ | $5475(7)$ | $8037(4)$ |
| $\operatorname{Br}(14)$ | $6762(4)$ | $4902(10)$ | $9542(5)$ |
| $\operatorname{Br}(15)$ | $5214(4)$ | $5257(8)$ | $8942(5)$ |
| $\operatorname{Br}(16)$ | $5844(6)$ | $3107(9)$ | $8608(6)$ |

Trueblood, 1968). The elements of these tensors may be derived from a least-squares fit of the atomic $\beta_{i j}$ 's.* Values of $\mathbf{T}$ and $\mathbf{L}$ are given in Table 3. The crosstensor $\mathbf{S}$, which accounts for correlation of translational and librational motions, has no significant values. Molecule 2 has values with large standard deviations but this is probably meaningless. The tensors are nearly diagonal. $U^{i j}$ 's were calculated in two different ways: first ( $U_{0}^{i j}$ ) starting from the $\beta^{i j}$ 's, second ( $U_{c}^{i j}$ ) with the TLS coefficients. Table 3 compares root mean square values of $\Delta U^{i j}=U_{0}^{i j}-U_{c}^{i j}$ with estimated standard deviations $\sigma\left(U_{c}^{i j}\right)$. In view of the agreement, we may conclude that the rigid-body model is a good approximation.

## (iii) Interatomic distances and angles

The arrangement of the four molecules is represented in Fig. 1. Interatomic distances and angles are given in Table 4. The molecules show departures from regular tetrahedral symmetry (high value of e.s.d. of the intramolecular length $\mathrm{Br}-\mathrm{Br}$ ). However, the mean intramolecular $\mathrm{Br}-\mathrm{Br}$ distance is compatible with the mean

[^0]Table 3. Rigid-body tensors: elements of the mean square tensors and their standard deviations

$$
\mathbf{T}\left(\AA^{2} \times 10^{4}\right) \quad \mathbf{L}\left(\mathrm{rad}^{2} \times 10^{4}\right)
$$

Molecule 1

$413(65) \quad$| $75(68)$ | $3(52)$ | $158(51)$ | $28(53)$ | $-29(40)$ |
| ---: | ---: | ---: | ---: | ---: |
| $483(56)$ | $-47(70)$ |  | $148(28)$ | $36(57)$ |
|  | $504(65)$ |  |  | $173(56)$ |
|  |  |  |  |  |
|  |  |  |  |  |
| R.m.s. $\left(\Delta U_{i j}\right)=0.0049 \AA^{2}$ | $\sigma\left(U_{i j}\right)=0.0086 \AA^{2}$ |  |  |  |

Molecule 2
$\begin{array}{rrrr}402(164)-105(103) & -120(169) & 101(127) & 47(44) \\ 474(192) & 38(101) & 225(147) & 26(41) \\ & 577(162) & & 84(127)\end{array}$

$$
\text { R.m.s. }\left(\Delta U_{i j}\right)=0.012 \AA^{2} \quad \sigma\left(U_{i j}\right)=0.0207 \AA^{2}
$$

Molecule 3

| $446(49)$ | $-19(31)$ | $-52(57)$ | $68(35)$ | $55(13)$ | $-40(47)$ |
| ---: | ---: | ---: | ---: | ---: | ---: |
|  | $511(58)$ | $79(31)$ |  | $172(55)$ | $1(13)$ |
|  |  | $559(50)$ |  |  | $132(35)$ |

$$
\text { R.m.s. }\left(\Delta U_{i j}\right)=0.0037 \AA^{2} \quad \sigma\left(U_{i j}\right)=0.0064 \AA^{2}
$$

Molecule 4
$459(72) \quad 40(76) \quad-61(61) \quad 117(53) \quad-4(71) \quad-86(42)$
R.m.s. $\left(\Delta U_{i j}\right)=0.0055 \AA^{2} \quad \sigma\left(U_{i j}\right)=0.0096 \AA^{2}$


Fig. 1. Projections of the four molecules of the asymmetric unit.
Table 4. Distances and angles with their e.s.d.'s
Intramolecular distances and angles

$$
\begin{array}{lc}
\mathrm{C}-\mathrm{Br} & 1.912(39) \AA \\
\mathrm{Br}-\mathrm{Br} & 3 \cdot 123(71) \\
\mathrm{Br}-\mathrm{C}-\mathrm{Br} & 109.48 \pm 2.50^{\circ}
\end{array}
$$

Shortest intermolecular distance

$$
\mathrm{Br}-\mathrm{Br} \quad 3.776(16) \AA
$$

$\mathrm{C}-\mathrm{Br}$ distance, 1.912 A. For this length, Kitaigorodsky (1955) gave 1.85 and International Tables for X-ray Crystallography (1962) $1.94 \AA$ A. The shortest intermolecular distance, $\mathrm{Br}-\mathrm{Br}=3.776 \AA$, is twice the van der Waals radius (Scott \& Scheraga, 1965).

## (iv) The pseudocubic cell

Many facts lead one to suppose that the symmetry is higher than monoclinic. The number of intense diffraction peaks is relatively low; thermal tensors $\mathbf{T}$ and $\mathbf{L}$ are nearly scalar; Fig. 1 shows that there are two kinds of molecule: $(1,4)$ and $(2,3)$.

Finbak \& Hassel (1937) have given an incorrect version of the pseudocubic cell since their $\beta$ was $125^{\circ} 3^{\prime}$; the measured value is $110.88^{\circ}$.

If we write

$$
\begin{array}{ll}
\mathbf{A}=-2 \mathbf{a}_{1}+\mathbf{a}_{2}-\mathbf{a}_{3} & \text { A, } \mathbf{B}, \mathbf{C}: \text { monoclinic } \\
\mathbf{B}=\mathbf{a}_{2}+\mathbf{a}_{3} & \mathbf{a}_{1}, \mathbf{a}_{2}, \mathbf{a}_{3}: \text { cubic } \\
\mathbf{C}=2 \mathbf{a}_{1}+\mathbf{a}_{2}-\mathbf{a}_{3}
\end{array}
$$

we obtain the results given in Table 5 which are most consistent with experiment. In particular, we obtain $\beta=$
$109.47^{\circ}$, close to the experimental value. Calculations are based on the cubic lattice constant $a=8.82 \AA$ of phase I at $52^{\circ} \mathrm{C}$ (More \& Lefebvre, 1977).

We can now describe the lattice with these new parameters. A vector $\mathbf{O M}$ can be written:

$$
\mathbf{O M}=X \mathbf{A}+Y \mathbf{B}+Z \mathbf{C}=\mathbf{O} \mathbf{O}^{\prime}+x \mathbf{a}_{1}+y \mathbf{a}_{2}+z \mathbf{a}_{3}
$$

where $O$ and $O^{\prime}$ are the origins of the monoclinic and cubic lattices respectively.

Table 5. Calculated lattice constants from the cubic model ( $a=8.82 \AA$ ).

## Calculated

$21.60 \AA$
12.47
21.60
$109.47^{\circ}$

Experimental
$21.43 \AA$
$12 \cdot 12$
$21 \cdot 02$
$110.88^{\circ}$

Finbak \& Hassel
(1937)
$24.94 \AA$
12.47
21.60
$125.26^{\circ}$

Table 6. Reduced coordinates $\left(\times 10^{3}\right)$ of some atoms in the cubic system
The origin is taken on $C(1)$. The coordinates of bromine atoms are taken with regard to those of their centre of mass (carbon atom). $\mathrm{C}\left(\mathrm{I}^{\mathrm{i}}\right)$ is obtained from $\mathrm{C}(1)$ by application of the symmetry operation: $\bar{x}, y, \frac{1}{2}-z$.

|  | $x$ | $y$ | $z$ |  |
| :---: | :---: | :---: | :---: | :---: |
| C(1) | 0 | 0 | 0 | ${ }^{3}$ |
| $\mathrm{Br}(1)$ | -180 | -8 | 135 | 2 |
| $\operatorname{Br}(2)$ | 195 | 6 | 113 | - |
| $\operatorname{Br}(3)$ | -4 | 184 | -129 | - |
| $\operatorname{Br}(4)$ | -11 | -182 | -118 |  |
| C(2) | -1057 | -492 | -557 |  |
| $\mathrm{Br}(5)$ | -121 | 18 | -183 | 1 |
| $\operatorname{Br}(6)$ | 154 | 163 | -5 |  |
| $\mathrm{Br}(7)$ | 102 | -192 | 2 | , 2 |
| $\operatorname{Br}(8)$ | -136 | 11 | 184 | $\mathrm{a}_{1}$ |
| C(3) | -570 | -986 | -551 | $0_{3} 0^{4}$ |
| $\mathrm{Br}(9)$ | -119 | 7 | - 188 |  |
| $\operatorname{Br}(10)$ | 123 | 185 | 16 | -2 |
| $\operatorname{Br}(11)$ | 120 | -191 | -6 | 38 |
| $\operatorname{Br}(12)$ | -123 | -2 | 175 |  |
| C(4) | -487 | 17 | -498 |  |
| $\mathrm{Br}(13)$ | -162 | 10 | 147 | , |
| $\operatorname{Br}(14)$ | -8 | 177 | -135 | $\rightarrow-a_{2}$ |
| $\operatorname{Br}(15)$ | 181 | -2 | 115 | $\cdots$ |
| $\operatorname{Br}(16)$ | -12 | -187 | -129 |  |
| $\mathrm{C}\left(\mathrm{I}^{\text {i }}\right.$ ) | -1104 | -1933 | 1933 |  |
| $\operatorname{Br}\left(1^{\text {i }}\right.$ ) | 181 | 135 | -8 | $>^{2} a_{2}$ |
| $\operatorname{Br}\left(2^{i}\right)$ | -195 | 113 | 6 | $\xrightarrow{\sim}$ |
| $\operatorname{Br}\left(3^{\text {i }}\right.$ ) | 4 | -130 | 184 |  |
| $\operatorname{Br}\left(4^{\mathrm{i}}\right)$ | 11 | -119 | $-182$ |  |

$$
\begin{aligned}
\mathbf{O M} & =(-2 X+2 Z) \mathbf{a}_{1}+(X+Y+Z) \mathbf{a}_{2} \\
& +(-X+Y-Z) \mathbf{a}_{3} \\
& =\left(x+x_{0}\right) \mathbf{a}_{1}+\left(y+y_{0}\right) \mathbf{a}_{2}+\left(z+z_{0}\right) \mathbf{a}_{3}
\end{aligned}
$$

where $\mathbf{O O}^{\prime}=x_{0} \mathbf{a}_{1}+y_{0} \mathbf{a}_{2}+z_{0} \mathbf{a}_{3}$.
We choose the origin $O^{\prime}$ of the cubic lattice on $\mathrm{C}(1)$. This gives $\left(x_{0}=1.05, y_{0}=1.92, z_{0}=-0.51\right)$. Referring to this origin, the coordinates of the others $C$ atoms can be calculated (Table 6). Translations between C atoms and origin are nearly those of a f.c.c. structure. In Table 6, we have also reported the coordinates of the Br atoms with respect to those of the corresponding C atom. All molecular sites have approximately $\overline{4} 2 m$ symmetry. For example, in molecule (1), $\operatorname{Br}(1)$ and $\operatorname{Br}(2)$ lie approximately in the (010) plane, $\operatorname{Br}(3)$ and $\operatorname{Br}(4)$ in the (100) plane. One $\overline{4}$ molecular axis is aligned with the $a_{3}$ fourfold lattice axis. The other $\overline{4}$ tetrahedral axes are in the directions of the twofold lattice axes. We will call such a molecule $\mathbf{A}_{3}$. We can see that all the molecules obtained from $C 2 / c$ symmetry are of type $\pm \mathbf{A}_{1}, \pm \mathbf{A}_{2}, \pm \mathbf{A}_{3}$.

The molecular orientations are correlated with the twofold axis $\mathbf{B}=\mathbf{a}_{2}+\mathbf{a}_{3}$ which favours the [011] direction. We can expect that in phase I the six twofold axes have the same importance. The low-temperature phase can now be regarded as a single domain corresponding to one particular twofold axis.

The authors thank Professor R. Fouret for useful discussions.

## References

Busing, W. R., Martin, K. O. \& Levy, H. A. (1962). ORFLS. Report ORNL-TM-305. Oak Ridge National Laboratory, Tennessee.
Finbak, C. \& Hassel, O. (1937). Z. phys. Chem. (B), 36, 301-308.
Germain, G., Main, P. \& Woolfson, M. M. (1971). Acta Cryst. A27, 368-376.
Harris, M. T. (1962). X-ray Diffraction Studies of Carbon Tetrabromide and Alloantin Dihydrate, Thesis, New Brunswick, New Jersey. Ann Arbor, Michigan: University Microfilms Inc.
International Tables for X-ray Crystallography (1962). Vol. III. Birmingham: Kynoch Press.

Kitaigorodsky, A. I. (1955). Organic Chemical Crystallography. New York: Consultants Bureau.
Mark, H. (1924). Ber. dtsch. Chem. Ges. 57, 1820-1827.
More, M. \& Lefebvre, J. (1977). To be published.
Schomaker, V. \& Trueblood, K. N. (1968). Acta Cryst. B24, 63-76.
Scott, R. A. \& Scheraga, H. A. (1965). J. Chem. Phys. 42, 2209-2215.
Wускоғғ, R. W. G. (1964). Crystal Structures. New York, London, Sydney: Interscience.


[^0]:    * Lists of structure factors and anisotropic thermal parameters have been deposited with the British Library Lending Division as Supplementary Publication No. SUP 32751 (23 pp.). Copies may be obtained through The Executive Secretary, International Union of Crystallography, 13 White Friars, Chester CH1 1NZ, England.

